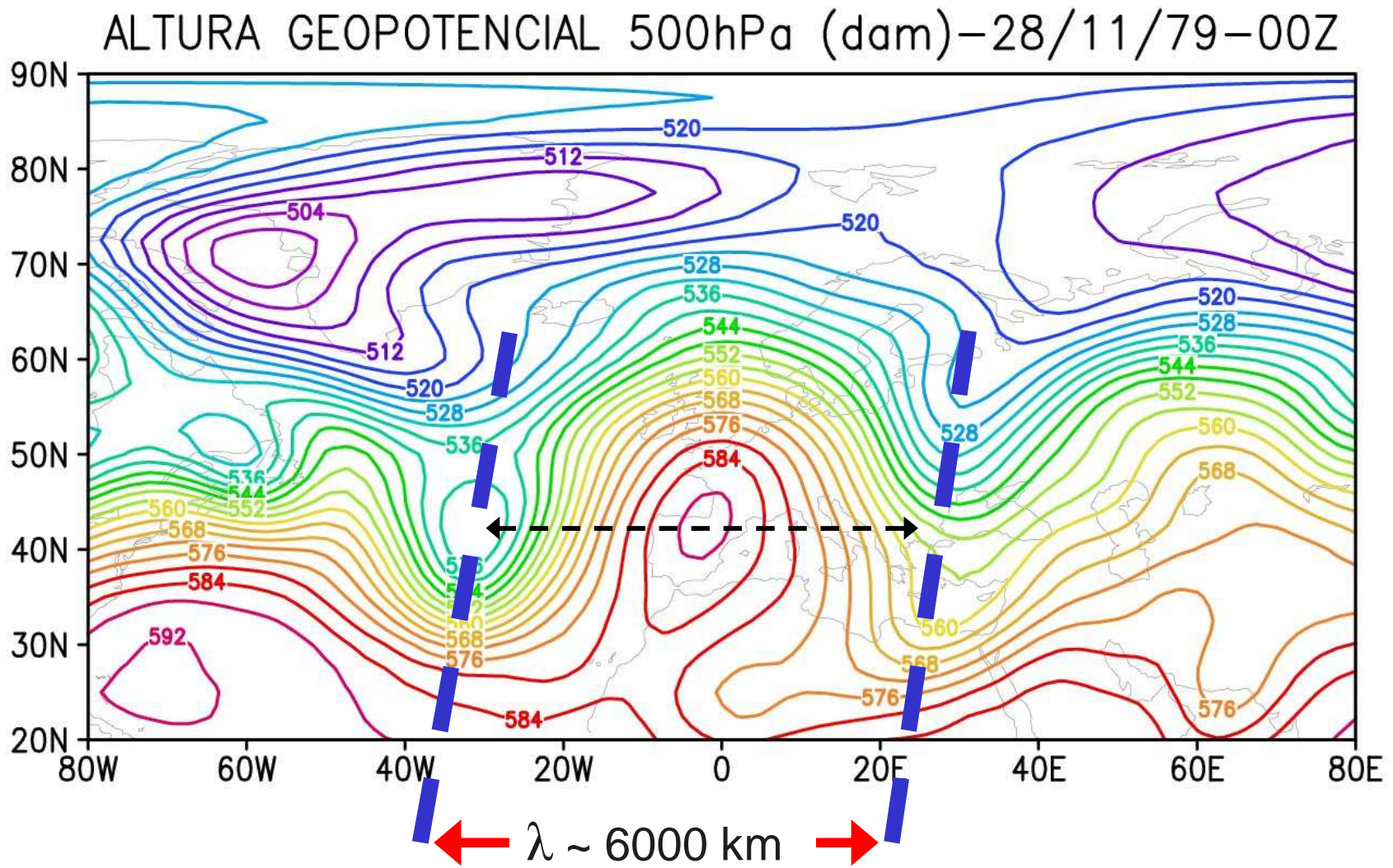
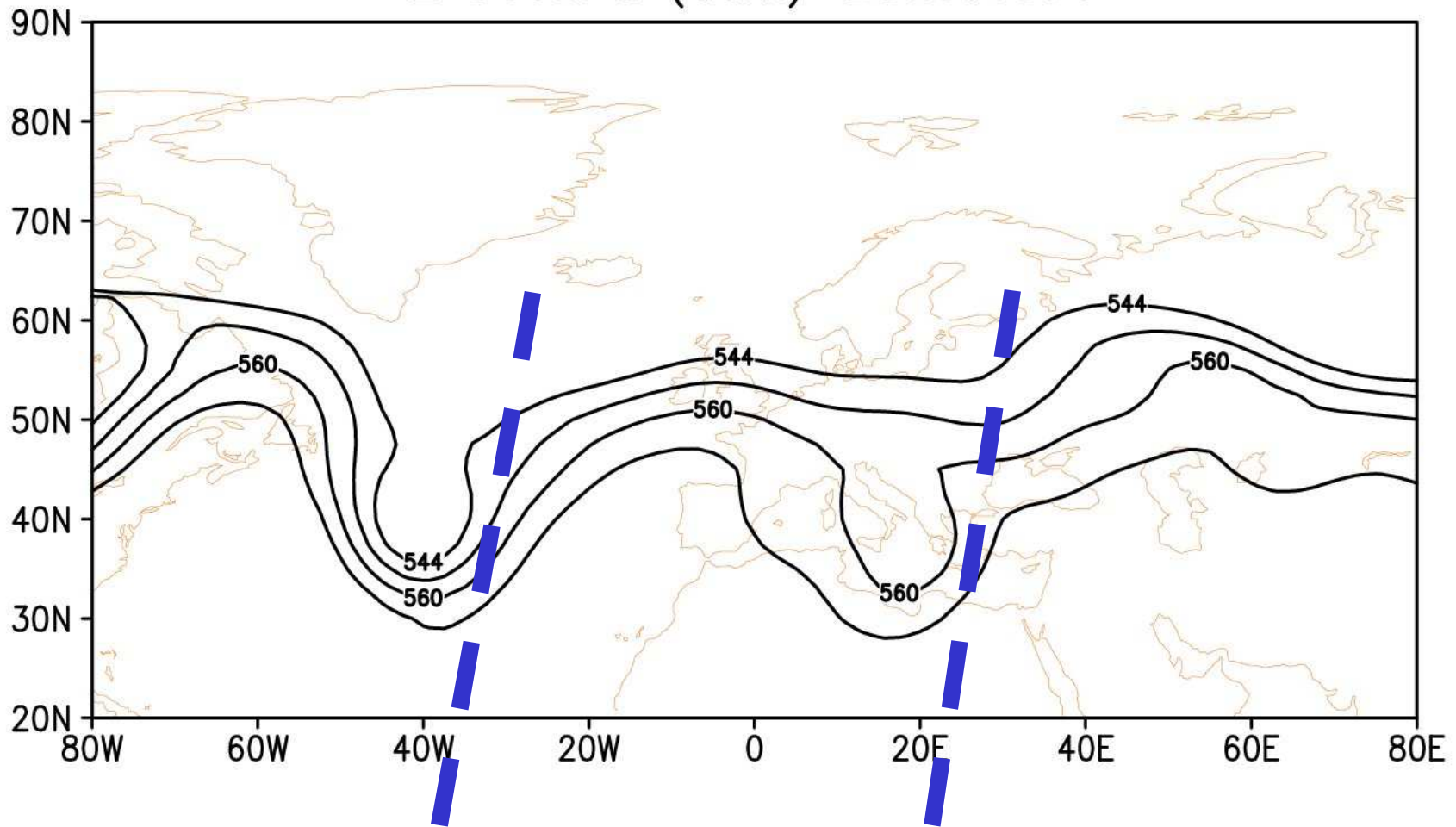


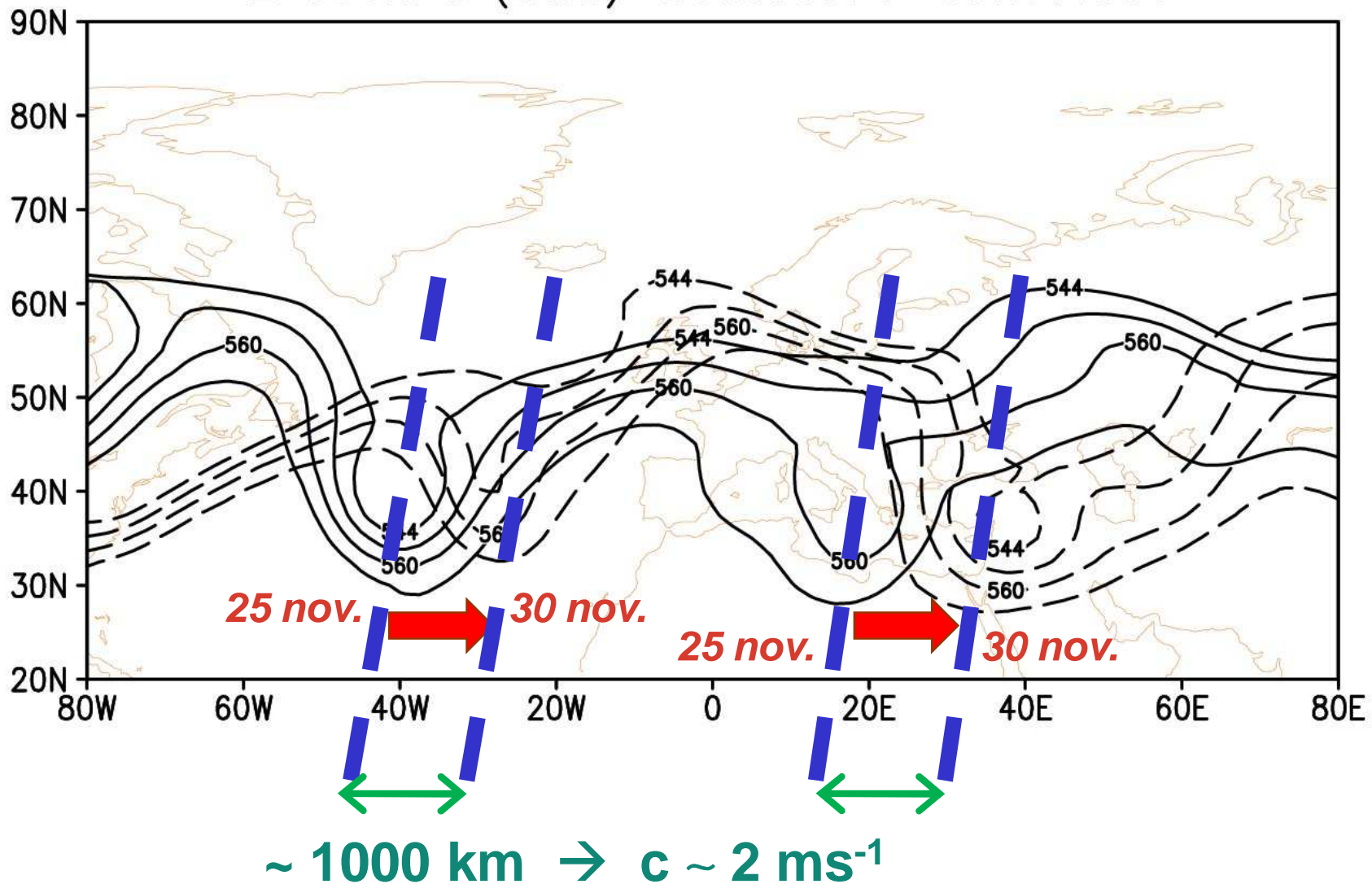
- **Vorticidad planetaria y relativa**
- **Divergencia horizontal**
- **Ondas de Rossby**

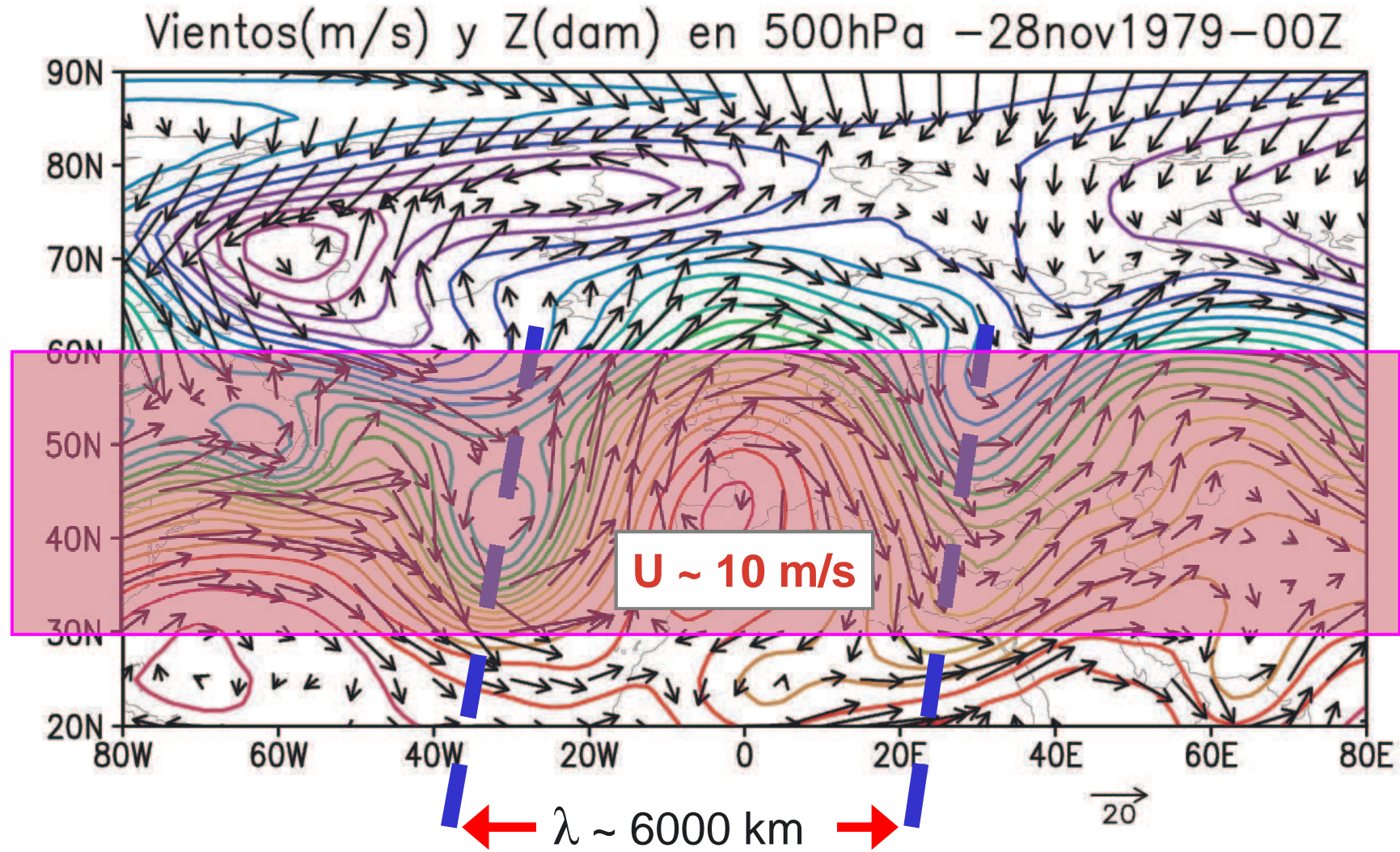


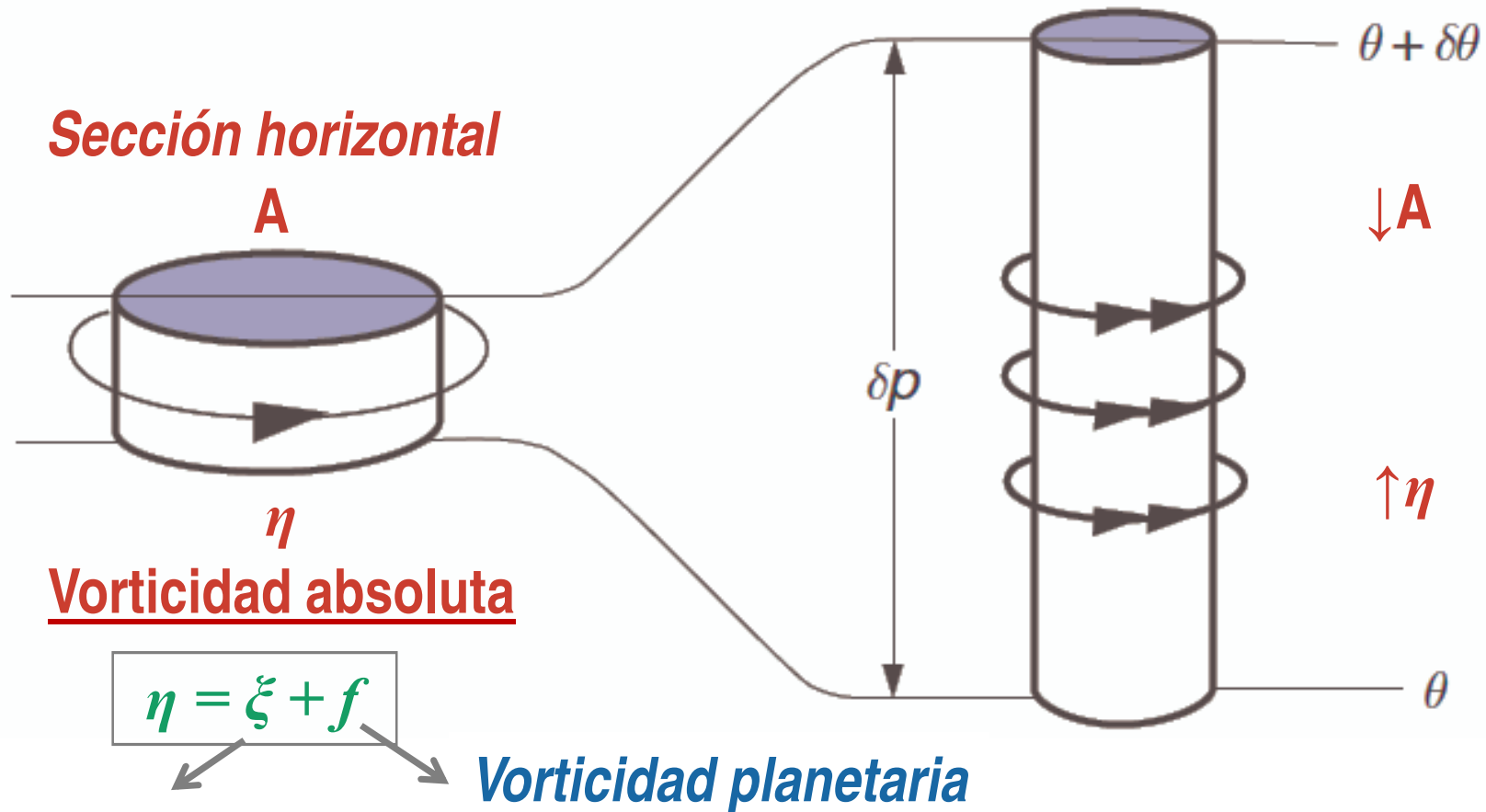
Z 500hPa (dam)–25nov1979



Z 500hPa (dam) – 25 nov 1979 – 30 nov 1979

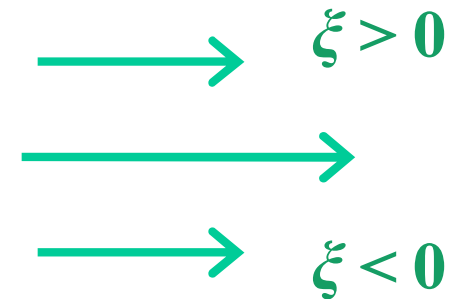
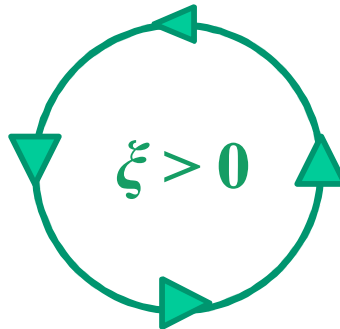


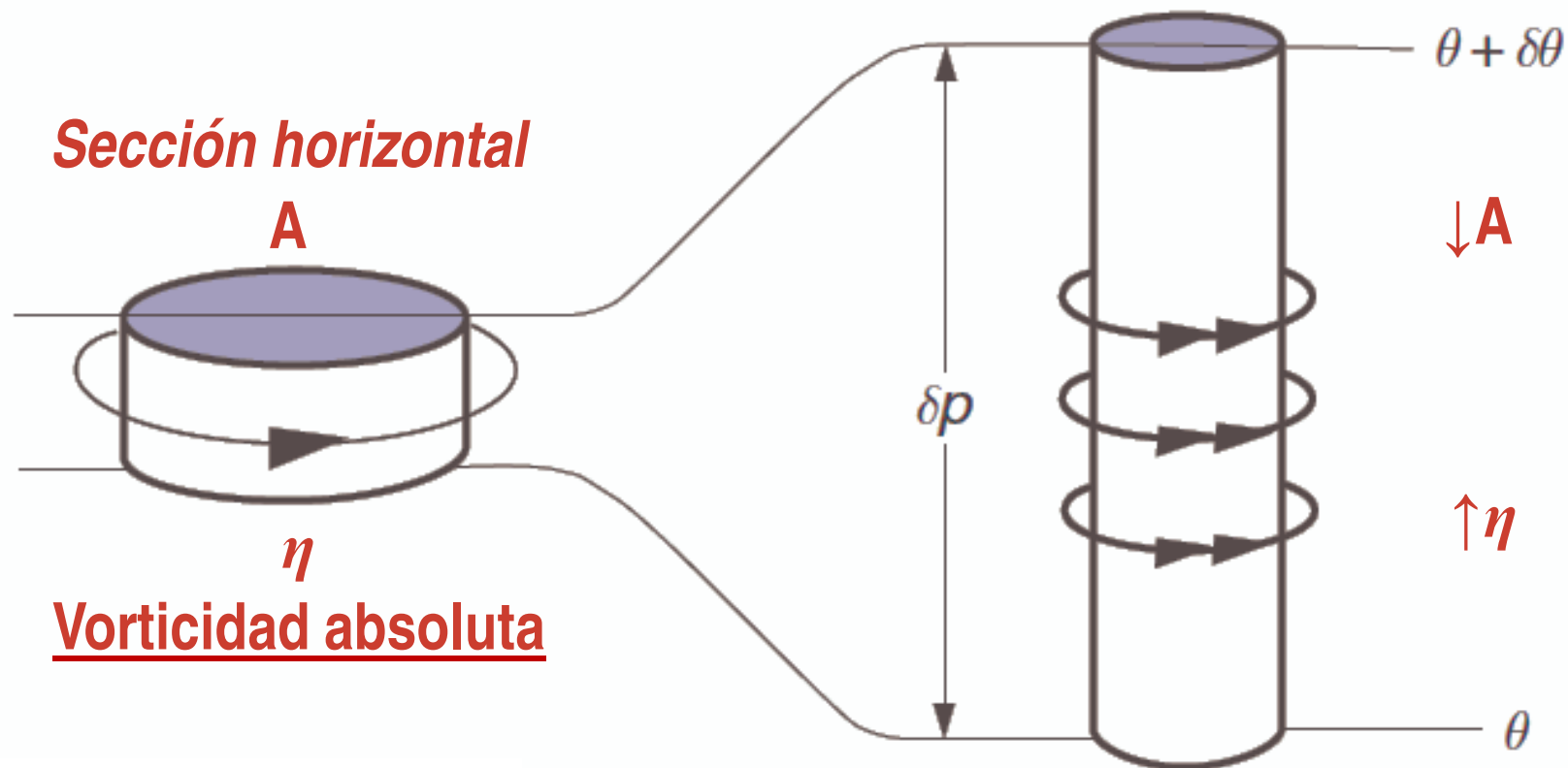




Vorticidad relativa

$$\xi = \frac{\partial u}{\partial x} + \frac{\partial v}{\partial y}$$





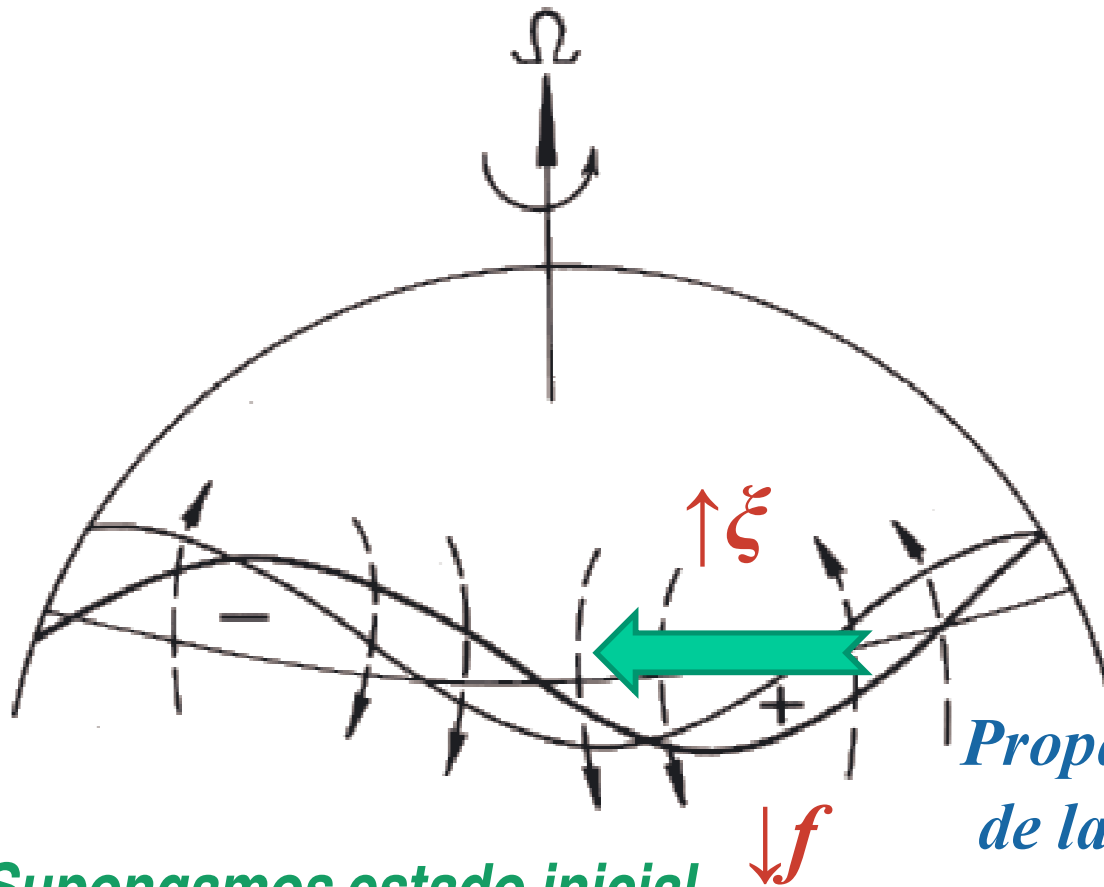
Conservación
de la **vorticidad potencial**

$$\frac{D(\eta A)}{Dt} = 0$$

$$\frac{1}{\eta} \frac{D\eta}{Dt} = -\frac{1}{A} \frac{DA}{Dt} = -\left(\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y}\right) = -\underbrace{\nabla_H \cdot \mathbf{V}}_{\text{Divergencia horizontal}}$$

Si la divergencia horizontal ~ 0

→ la vorticidad absoluta se conserva



$$\eta = \xi + f = cte.$$

$$\beta = \frac{df}{dy} = \frac{2\Omega \cos \phi}{R_T}$$

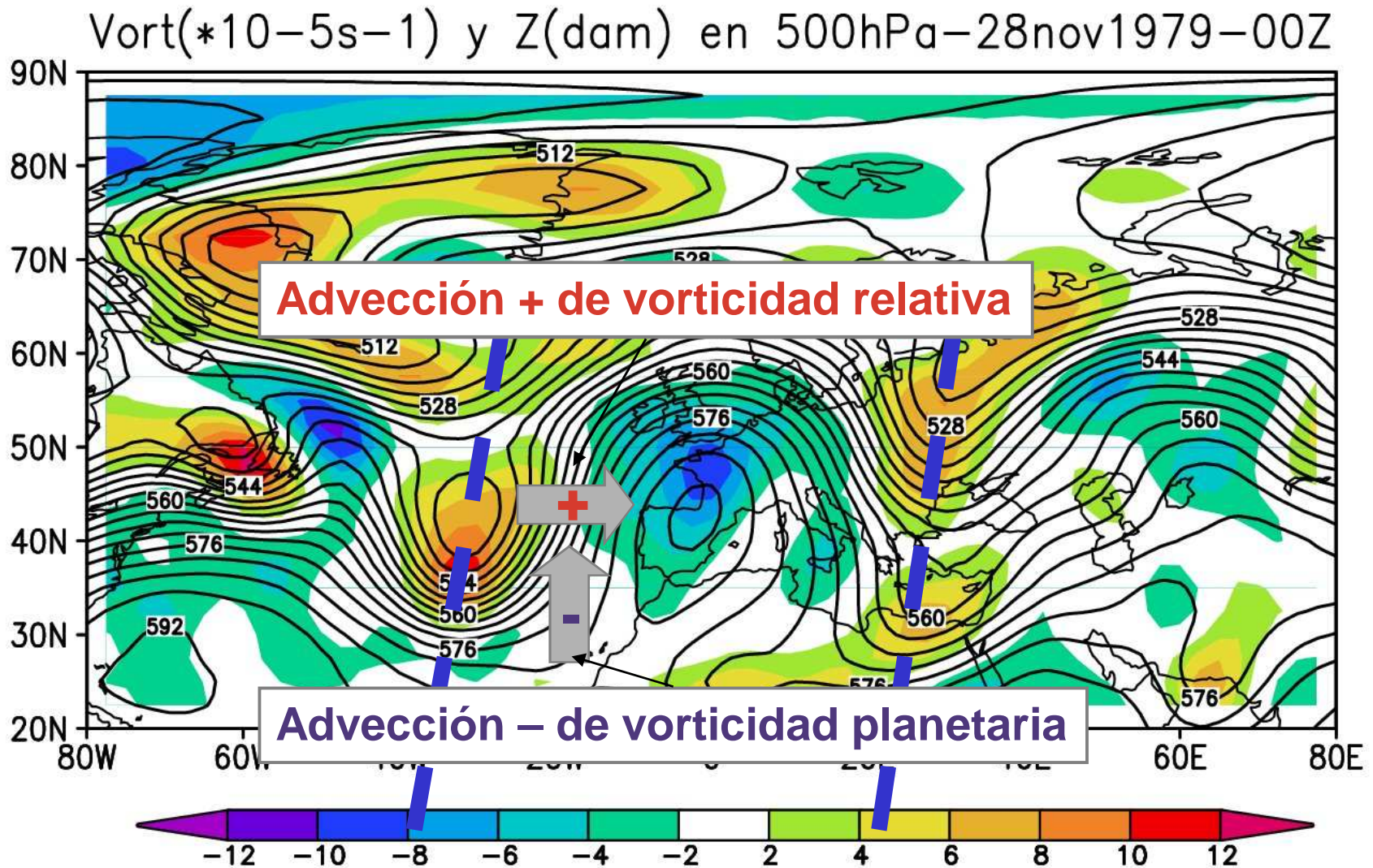
variación de f con la latitud

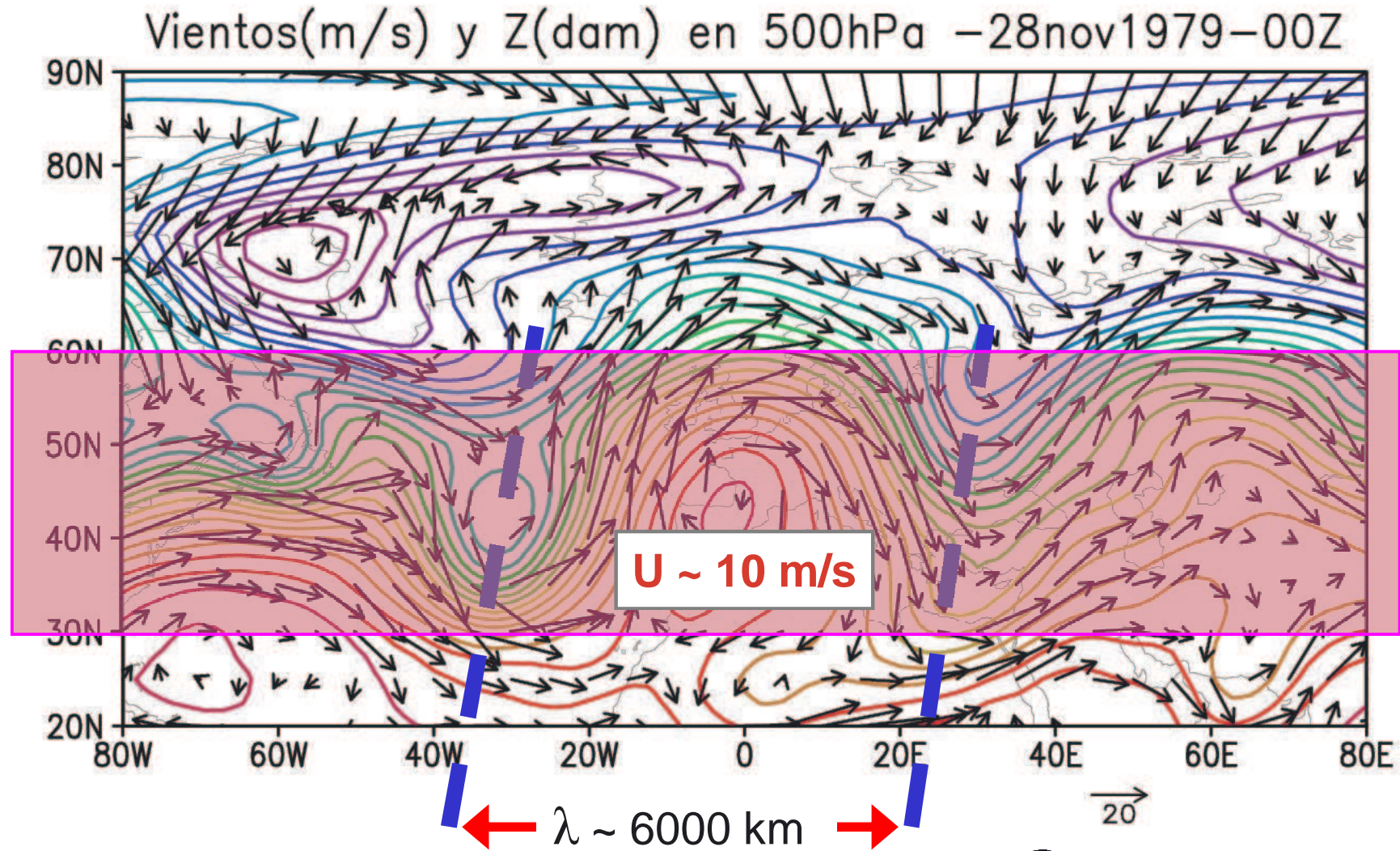
$$c_R = - \frac{\beta}{(2\pi)^2} \lambda^2$$

Propagación de la perturbación hacia el oeste

Supongamos estado inicial en reposo, en el que surge una perturbación...

Onda de Rossby





$$c_{ef} = U - \frac{\beta}{(2\pi)^2} \lambda^2 \sim 1 \text{ ms}^{-1}$$

